

10. Explain following terms.
- i) Closed - loop control system
 - ii) Open - loop control system.
 - iii) Digital control system
 - iv) Feed back control system.

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Total Printed Pages : **4****06BEE101****B.TECH (EEE)****VI-SEM, (Main/back) Examination, May/June-2016****SUB: MODERN CONTROL THEORY****Time : 3 Hours]****[Total Marks 60**

Use of following supporting material is permitted during examination.

1. _____ Nil _____ 2. _____ Nil _____

*Note: 1. Attempt any six question**2. Each question carry equal marks.*

1. Explain following terms:

- i) Concept linearity
- ii) Relaxedness
- iii) Time invariance

iv) Causality

v) Time variance

2. Given a single input single output state variable model.

$$\dot{x} = Ax + bu$$

$$y = cx$$

prove that the eigen value of matrix A are invariant under state transformation $x = p\bar{x}$; p is a constant non singular matrix.

3. Define & prove controllability & observability of system.

4. State & prove the final value theorem of the Z-transform. What is the condition under which theorem is valid?

5. Define the regions of stability, marginal stability and instability on the S-plane. How are these regions translated to z-plane by the mapping $z = e^{st}$?

6. i) Show that if a continuous time linear time invariant system is asymptotically stable, it is also BIBO stable

ii) Show that a BIBO stable continuous time linear time - invariant

system asymptotically stable only if the system is completely controllable & completely observable.

7. Define following terms suitable explanation.

i) PI controller

ii) PID controller

8. A feed back system has a closed - loop transfer function.

$$\frac{Y(S)}{R(S)} = \frac{10(S+4)}{S(S+1)(S+3)}$$

Construct three different state models for this system.

i) One where the system matrix A is a diagonal matrix.

ii) One where A is in first companion form.

9. Using appropriate examples. Show that sampling has detrimental effect on the transient response of a closed-loop system, but the steady state response remains unaffected.